## TRANSVERSAL EJECTION-COLLISION ORBITS FOR THE RESTRICTED THREE-BODY PROBLEM

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Abstract. The main goal of this paper is to show that the restricted three-body problem has transversal ejection-collision orbits when the mass parameter  $\mu$  is small enough and the Jacobian constant C is greater than two.

## 1. Introduction.

The circular planar restricted three-body problem (usually called restricted three-body problem) is defined in synodic coordinates by the Hamiltonian function

(1) 
$$H = \frac{1}{2}(p_1^2 + p_2^2) + q_2 p_1 - q_1 p_2 - \frac{1}{r_1} + \mu(q_1 + \frac{1}{r_1} - \frac{1}{r_2})$$

where  $(q_1, q_2)$  are position coordinates and  $(p_1, p_2)$  the conjugate momenta. In this frame  $r_1$  and  $r_2$  are the distances of the third body of negligible mass to the primaries of masses  $1 - \mu$  and  $\mu$  which are located at the origin and at the point (1,0), respectively. Here,  $\mu \in [0,1/2]$  is the mass parameter.

It is clear that C = -2H is a first integral of the Hamiltonian system associated to Hamiltonian function (1), called the Jacobian integral.

The existence of two transversal ejection-collision orbits in the restricted three-body problem has been proved in [2] when the value of the Jacobian constant C is large enough and the value of the mass parameter  $\mu$  is small enough. In [1] it has been proved the existence of four transversal ejection-collision orbits for all  $\mu \in [0, 1/2]$  and C sufficiently large.

In this paper we prove the existence of two transversal ejection-collision orbits in the restricted three-body problem when  $\mu$  is small enough and C takes any value greater than two.

## 2. Equations of Motion.

The binary collision of the third body with the primary of mass  $1-\mu$  can be regularized by using the ideas of McGehee [4]. Now we summarize the changes of variables and resulting equations.